

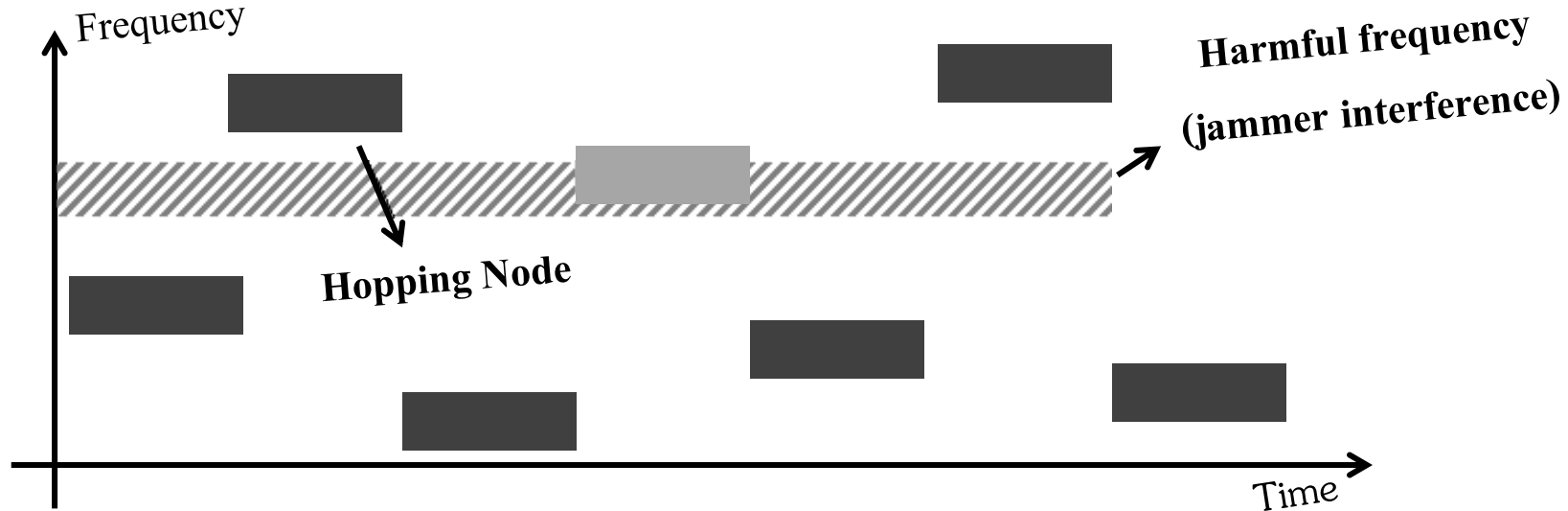
# **Secrecy level of communication under Uncoordinated Frequency Hopping (UFH)**

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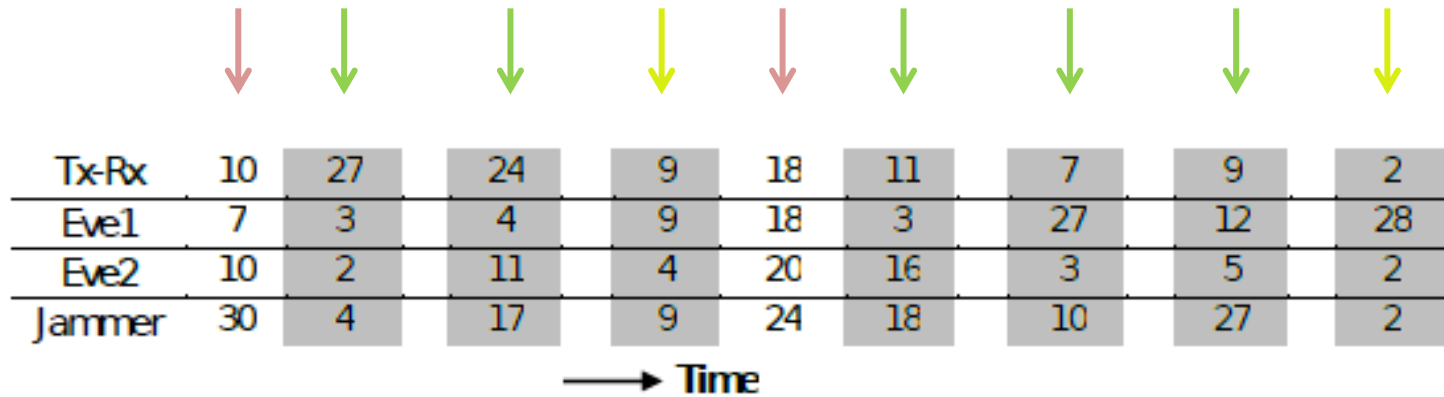


**“That’s our CIO. He’s encrypted for security purposes.”**

# Uncoordinated Frequency Hopping (UFH)



From: M. Strasser, C. Popper, S. Capkun, and M. Cagalj, *"Jamming-resistant key establishment using uncoordinated frequency hopping,"* in IEEE Symposium on Security and Privacy, 2008, pp. 64–78.



**Won't the jammers interfere with Tx-Rx communication?**

# System Setup

- 2 Nodes (identical)
- Rx and Tx
- UHF Communication paradigm

• K eavesdroppers

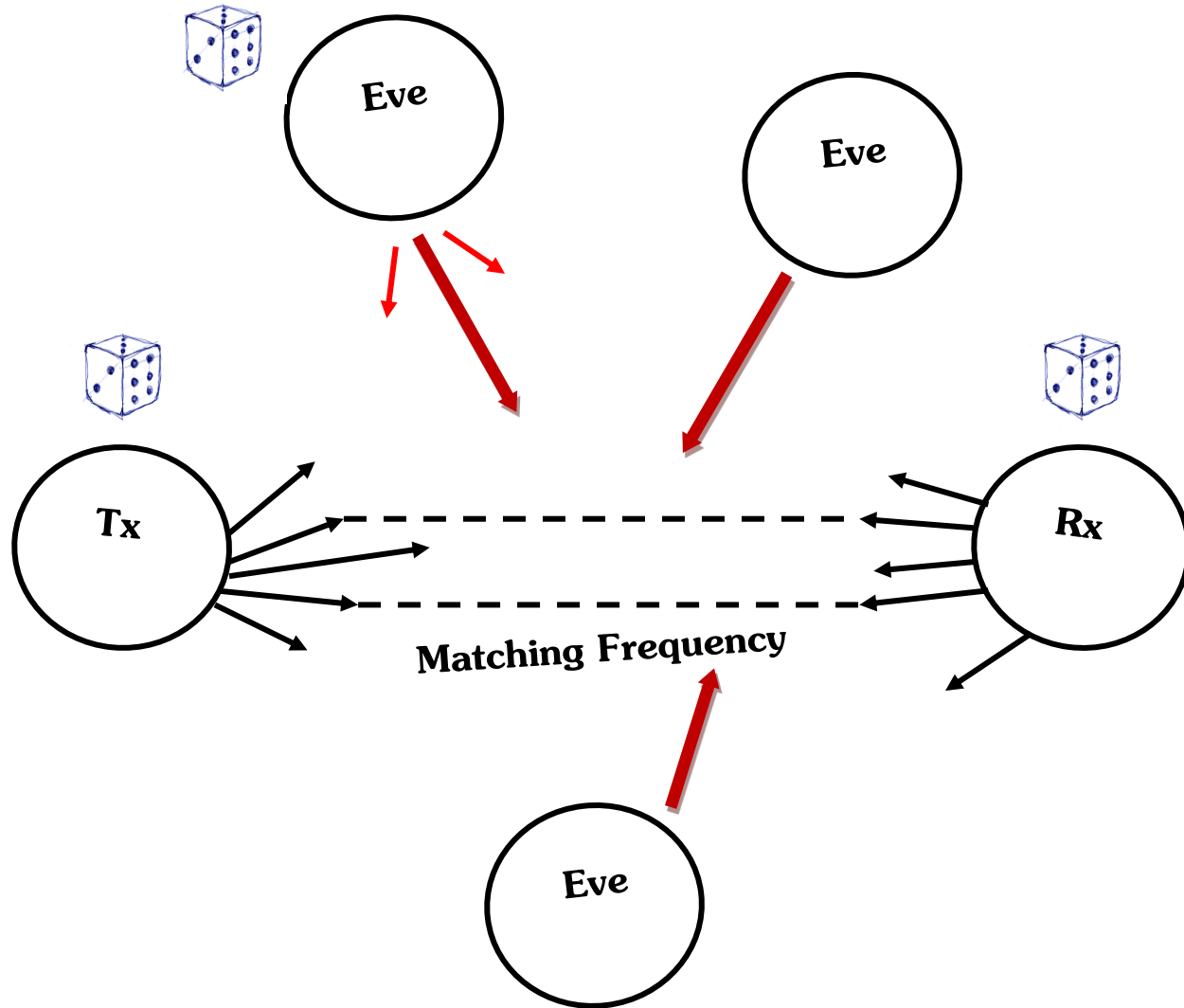
• J Defensive Jammers

$$\mathcal{T}_s \triangleq \mathbb{P} \left\{ T_x \rightarrow R_x \wedge \bigwedge_{e_i \in \Pi_e} T_x \not\rightarrow e_i \right\}.$$

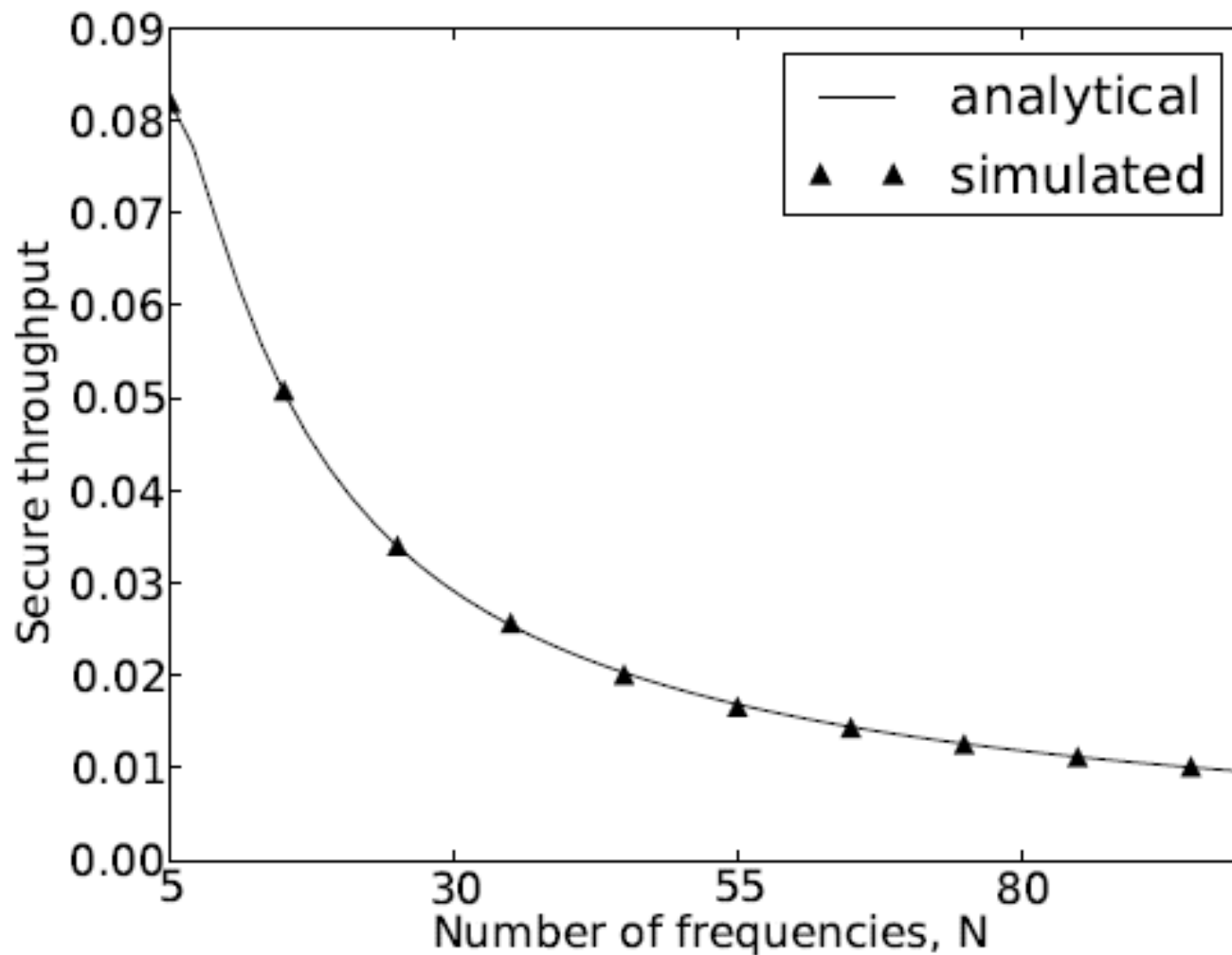


**Secure Throughput**

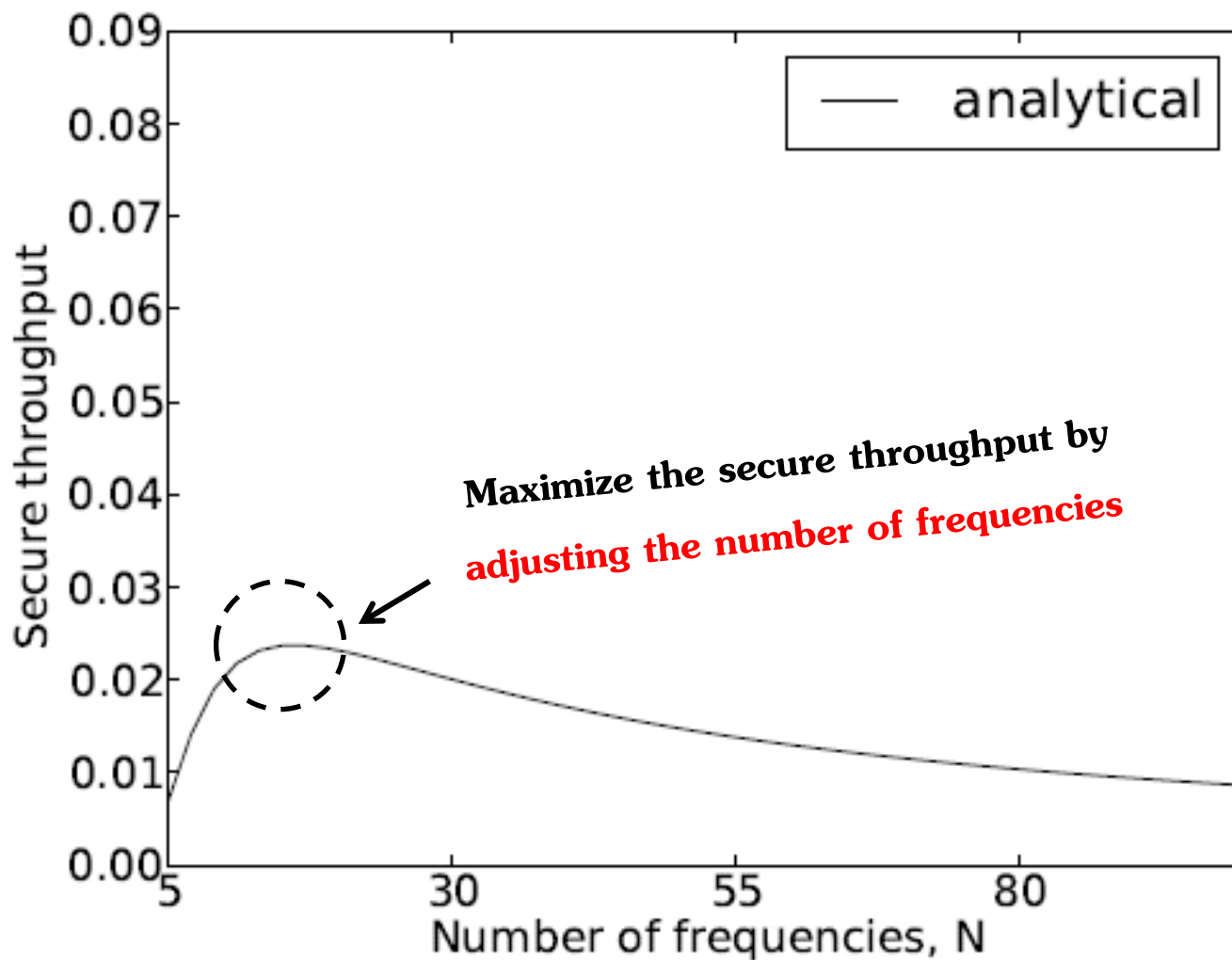
# Cenario I



## Secure Throughput for K=4 Eavesdroppers



# Secure Throughput For K=15 Eavesdroppers

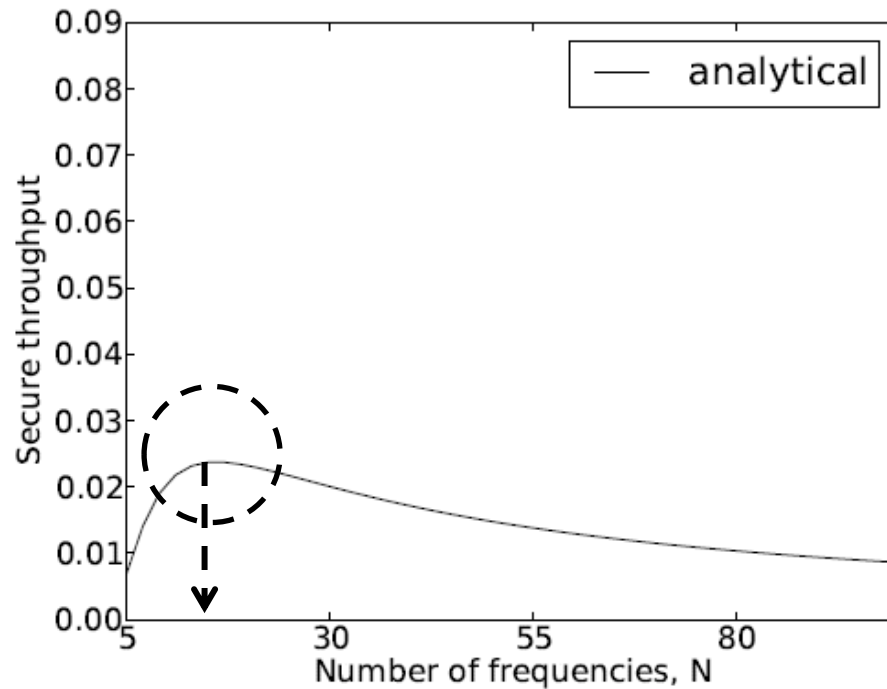




# Maximize Secure Throughput

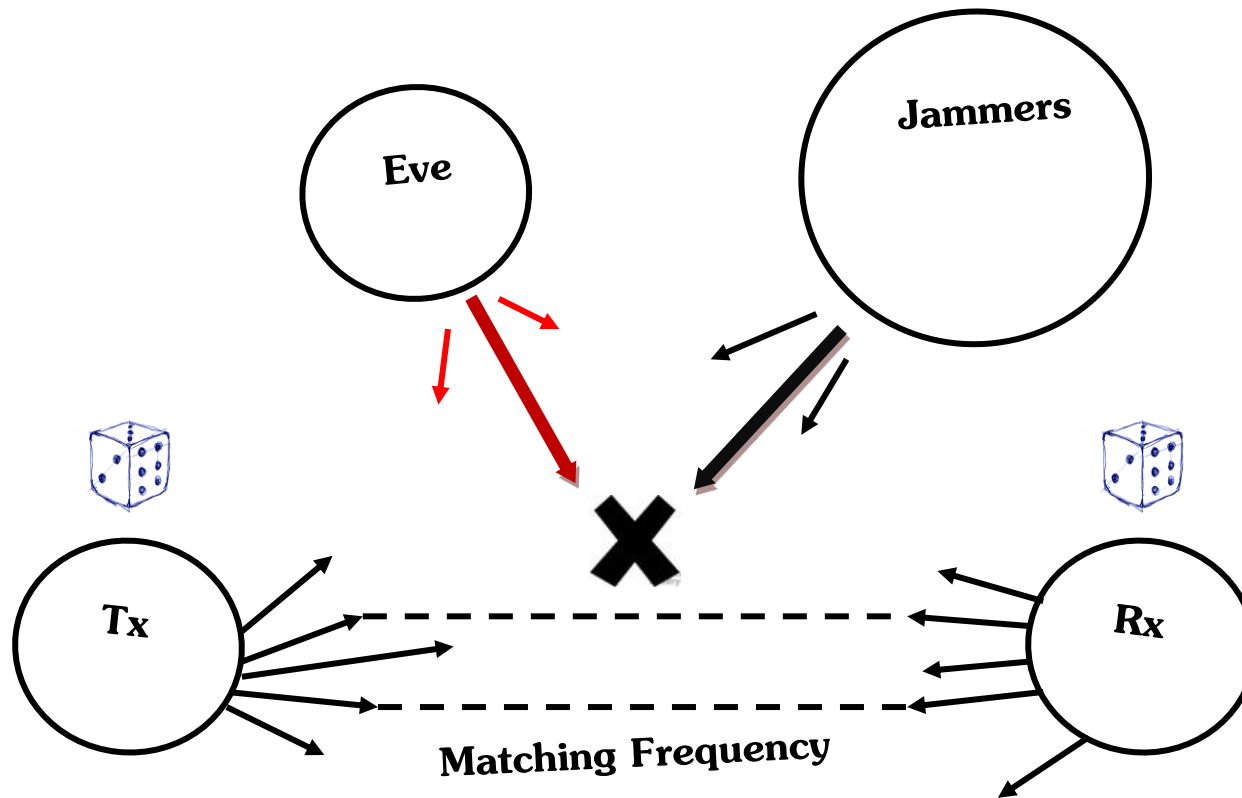
$$\mathcal{T}_s = \frac{N \times (N - 1)^K}{N^{K+2}}$$

Maximize the secure throughput by blocking  
K (eves) and adjusting N (frequencies)



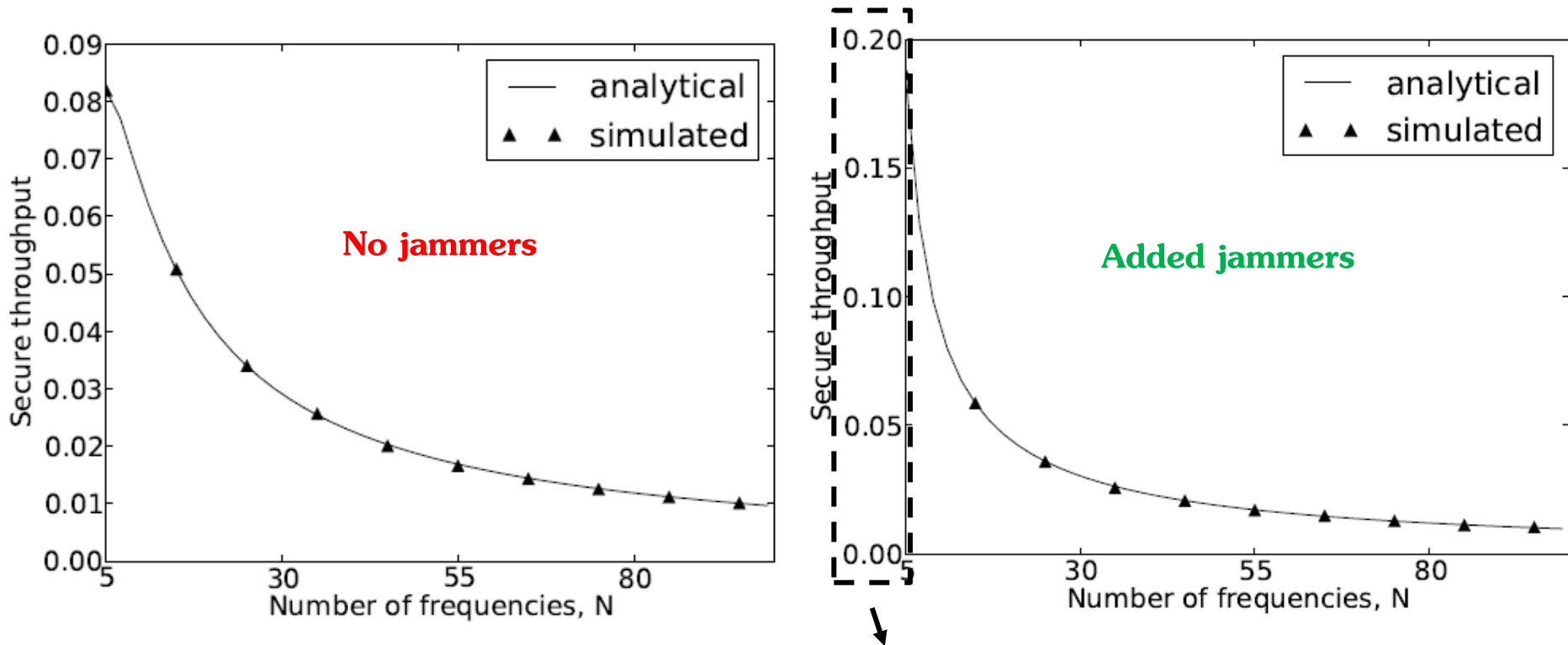
**MAXIMUM**  
**N=K+1**

## Cenario II



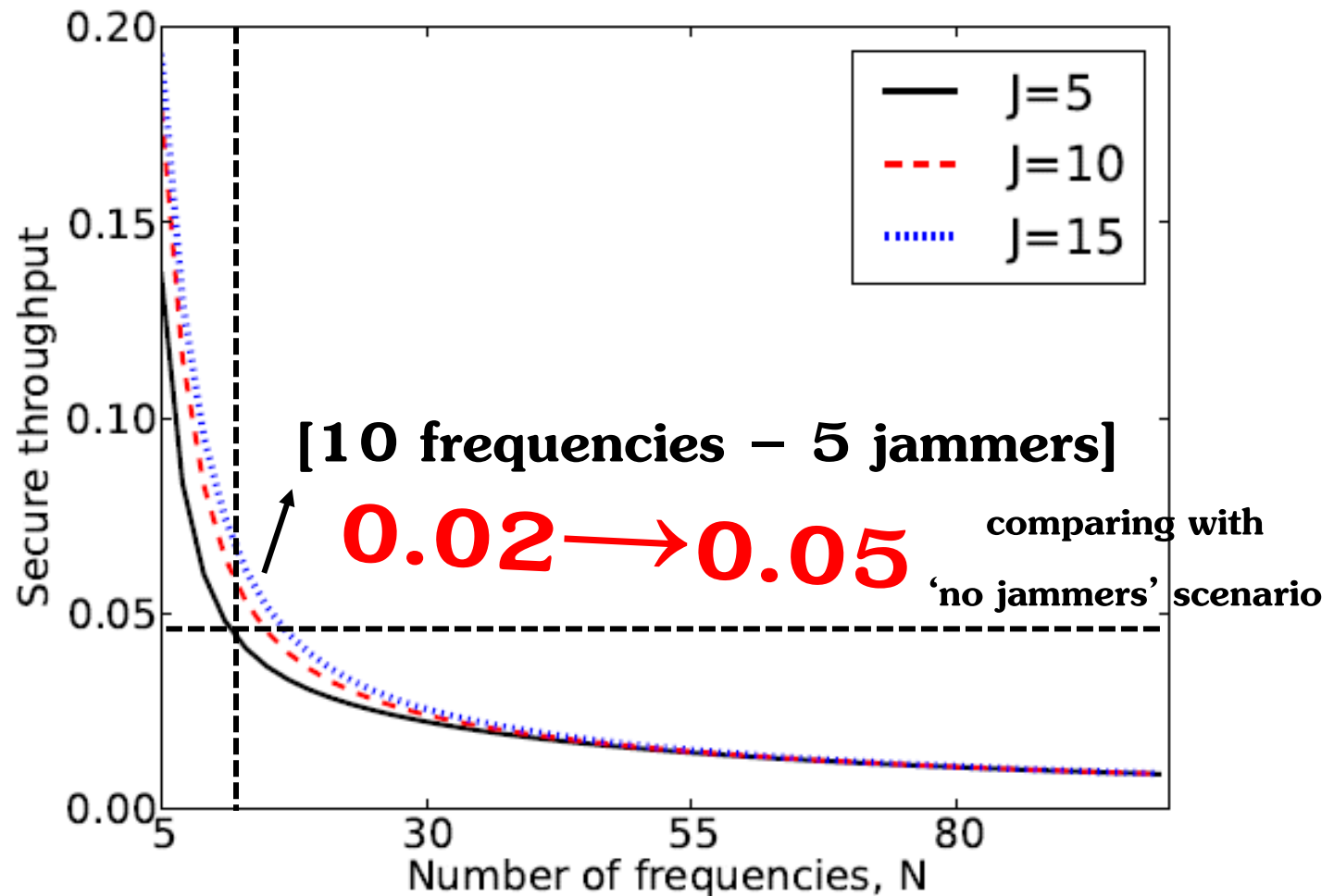
# Comparing Secure Throughput

**K=4 Eavesdroppers and J=5 jammers**



Adding jammers **dramatically increases**  
the secure throughput (for lower sets of  
frequencies)

# Secure Throughput for $K=15$ Eavesdroppers and $J=5, 10, 15$ Jammers



# Conclusion

Increase in the secure throughput which allows a more efficient and reliable UHF mechanism.

Defensive Jammers

Maximized throughput

Performance

Adjusting the number of frequencies can help improve performance in scenarios where there are no defensive agents ( $N=K+1$ ).

Small secure throughput values does not necessarily mean bad performance → higher protection for key exchange.

## Future Work

Degradation factor

Different hopping rates

Test bed implementation